

# Package: corrMCT (via r-universe)

September 2, 2024

**Type** Package

**Title** Correlated Weighted Hochberg

**Version** 0.2.0

**Description** Perform additional multiple testing procedure methods to `p.adjust()`, such as weighted Hochberg (Tamhane, A. C., & Liu, L., 2008) <[doi:10.1093/biomet/asn018](https://doi.org/10.1093/biomet/asn018)>, ICC adjusted Bonferroni method (Shi, Q., Pavey, E. S., & Carter, R. E., 2012) <[doi:10.1002/pst.1514](https://doi.org/10.1002/pst.1514)> and a new correlation corrected weighted Hochberg for correlated endpoints.

**License** GPL (>= 3)

**Encoding** UTF-8

**RoxygenNote** 7.3.2

**Imports** dplyr, glue, magrittr, Matrix, tibble

**NeedsCompilation** no

**Author** Xin-Wei Huang [aut, cre]  
(<<https://orcid.org/0000-0003-4238-3081>>), Jia Hua [ctb],  
Bhramori Banerjee [ctb], Xuelong Wang [ctb], Qing Li [ctb],  
Merck & Co., Inc [cph, fnd]

**Maintainer** Xin-Wei Huang <xinweihuangstat@gmail.com>

**Date/Publication** 2024-08-02 12:50:03 UTC

**Repository** <https://xinweibuffalo.r-universe.dev>

**RemoteUrl** <https://github.com/cran/corrMCT>

**RemoteRef** HEAD

**RemoteSha** 1a15833fa07155809e23013f9c8dc4d83065bc9a

## Contents

corr.Bonferroni	2
corr.WHC	3
corrmat_AR1	4
corrmat_block	4

corrmat_blockAR1 . . . . .	5
corrmat_CS . . . . .	6
WHC . . . . .	6
<b>Index</b>	<b>8</b>

---

corr.Bonferroni	<i>ICC adjusted Bonferroni method</i>
-----------------	---------------------------------------

---

## Description

corr.Bonferroni performs the ICC adjusted Bonferroni method proposed by Shi, Pavey, and Carter(2012). Power law approximation by  $r$  is tricky, suggested options was listed in the paper.

## Usage

```
corr.Bonferroni(p, ICC, r = 0, alpha = 0.05)
```

## Arguments

<code>p</code>	A numeric vector. A length $m$ P-value vector from multiple tests.
<code>ICC</code>	A number. Intraclass correlation correction factor, a real number between (0, 1).
<code>r</code>	A number. Tuning parameter for $g^{**}$ between (0, 1). Default $r=0$ .
<code>alpha</code>	A real number. $1 - \alpha$ is the confidence level, alpha must between (0, 1).

## Value

A numeric vector of adjusted p-values.

## References

Shi, Q., Pavey, E. S., & Carter, R. E. (2012). Bonferroni-based correction factor for multiple, correlated endpoints. *Pharmaceutical statistics*, 11(4), 300-309.

## Examples

```
m <- 10
corr.Bonferroni(
  p = runif(m),
  ICC = 0.3
)
```

corr.WHC

*Correlation adjusted weighted Hochberg method***Description**

A new method implement correlation correction based on weighted Hochberg. An ACF is applied for weight reduction to conserve alpha. Details see Huang et al. (2024+). A correlation structure with too many zero leads the method reduce to weighted Hochberg.

**Usage**

```
corr.WHC(p, w, corr.mat, a = 0.5, b = 0.6, penalty = NULL, alpha = 0.05)
```

**Arguments**

p	A numeric vector. A length $m$ P-value vector from multiple tests.
w	A numeric vector. Any non-negative real numbers to denote the importance of the endpoints. Length must be equal to $m$ . A single value, e.g. $w = 1$ , represents equal weight. WHC can scale the weight vector as if the sum of weight is not 1.
corr.mat	A matrix. The dimension must be $m \times m$ . Positive correlation is the theoretical assumption, however, it is robust to run with some negative elements in the correlation matrix.
a	A numeric number. $a \in (0, 1)$ determines the greatest penalty on weight, Default $a=0.5$ . Details see Huang et al (2024+).
b	A numeric number. $b \in (0, 1)$ is the shape parameter of the penalty function. $b = 1$ produce a linear function.
penalty	A function. User can define their own penalty function. The basic rule is the function must be monotone decreasing from 0 to 1, and range from 1 to $a$ where $a \in (0, 1)$ . A convex function is recommended. Concave function can produce result, but have no meaning on alpha conserving.
alpha	A real number. $1 - \alpha$ is the confidence level, alpha must between $(0, 1)$ .

**Value**

A table contains p-values, weights, adjusted critical values, significance

**References**

Huang, X. -W., Hua, J., Banerjee, B., Wang, X., Li, Q. (2024+). Correlated weighted Hochberg procedure. In-preparation.

**Examples**

```

m <- 5
corr.WHC(
  p = runif(m),
  w = runif(m),
  corr.mat = cor(matrix(runif(10*m), ncol = m))
)

```

---

corrmat\_AR1                      *AR(1) correlation matrix*

---

**Description**

An easy function to generate a AR(1) correlation matrix.

**Usage**

```
corrmat_AR1(m, rho)
```

**Arguments**

m                      An integer. Dimension of the correlation matrix.  
rho                     A number. Correlation coefficient between (0, 1)

**Value**

A correlation matrix

**Examples**

```

corrmat_AR1(
  m = 3,
  rho = 0.2
)

```

---

corrmat\_block                    *Block design correlation matrix*

---

**Description**

An easy function to generate a block design correlation matrix. Each diagonal element  $R_i$  is a compound symmetric matrix with dimension  $d_i \times d_i$ . Correlation coefficient in each block is  $\rho_i$ . All the off-diagonal elements are 0.

**Usage**

```
corrmat_block(d, rho)
```

**Arguments**

d	An integer vector. Length $B$ of block dimensions. Element of $d$ can be 1, it would not generate a sub-matrix with the corresponding element in $\rho$ , but just 1.
$\rho$	A numeric vector. A length $B$ vector of correlation coefficients, represent $B$ different block of correlation matrix.

**Value**

A correlation matrix

**Examples**

```
corrmat_block(
  d = c(2,3,4),
  rho = c(0.1, 0.3, 0.5)
)
```

---

corrmat_blockAR1	<i>Block AR(1) design correlation matrix</i>
------------------	--

---

**Description**

An easy function to generate a block AR(1) design correlation matrix. Each diagonal element  $R_i$  is an AR(1) correlation matrix with dimension  $d_i \times d_i$ . Correlation coefficient in each block is  $\rho_i$ . All the off-diagonal elements are 0.

**Usage**

```
corrmat_blockAR1(d, rho)
```

**Arguments**

d	An integer vector. Length $B$ of block dimensions. Element of $d$ can be 1, it would not generate a sub-matrix with the corresponding element in $\rho$ , but just 1.
$\rho$	A numeric vector. A length $B$ vector of correlation coefficients, represent $B$ different block of correlation matrix.

**Value**

A correlation matrix

**Examples**

```
corrmat_blockAR1(
  d = c(2,3,4),
  rho = c(0.1, 0.3, 0.5)
)
```

---

 corrmat\_CS

*Compound symmetric correlation matrix*


---

**Description**

An easy function to generate a compound symmetric correlation matrix

**Usage**

```
corrmat_CS(m, rho)
```

**Arguments**

m	An integer. Dimension of the correlation matrix.
rho	A number. Correlation coefficient between (0, 1)

**Value**

A correlation matrix

**Examples**

```
corrmat_CS(
  m = 3,
  rho = 0.2
)
```

---

 WHC

*Weighted Hochberg method*


---

**Description**

WHC performs the weighted Hochberg method proposed by Tamhane and Liu (2008).

**Usage**

```
WHC(p, w, alpha = 0.05)
```

**Arguments**

p	A numeric vector. A length $m$ P-value vector from multiple tests.
w	A numeric vector. Any non-negative real numbers to denote the importance of the endpoints. Length must be equal to $m$ . A single value, e.g. $w = 1$ , represents equal weight. WHC can scale the weight vector as if the sum of weight is not 1.
alpha	A real number. $1 - \alpha$ is the confidence level, alpha must between (0, 1).

**Value**

A table contains p-values, weights, adjusted critical values, significance

**References**

Tamhane, A. C., & Liu, L. (2008). On weighted Hochberg procedures. *Biometrika*, 95(2), 279-294.

**Examples**

```
m <- 5
WHC(
  p = runif(m),
  w = runif(m)
)
```

# Index

corr.Bonferroni, 2  
corr.WHC, 3  
corrmat\_AR1, 4  
corrmat\_block, 4  
corrmat\_blockAR1, 5  
corrmat\_CS, 6

WHC, 6